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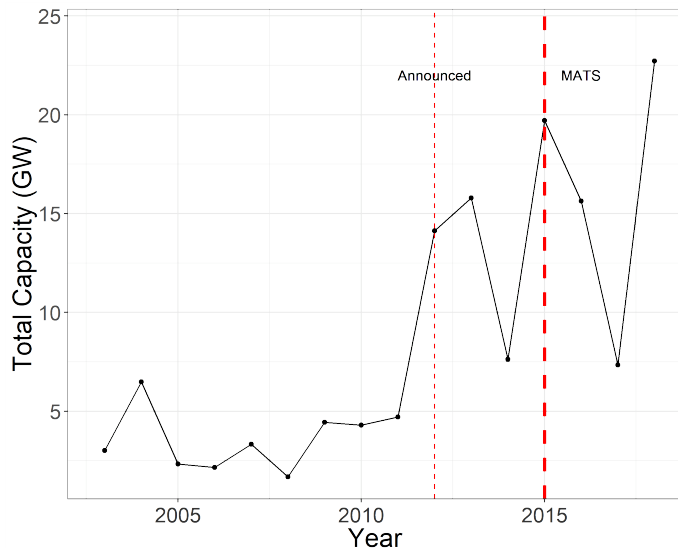
# Effects of Market Conditions, Environmental Regulations and Regulatory Uncertainty on Investment and Exit

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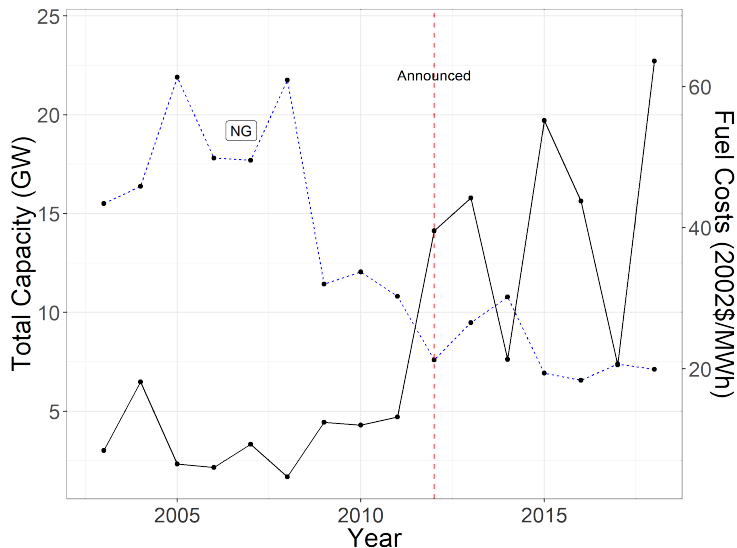
July 2020

# Coal Power Plant Retirements & MATS



Mercury and Air Toxics Standards (MATS):  
Reduce mercury and other toxics by April 2015, with extension to April 2016.

# Coal Power Plant Retirements & Fuel Prices



Recession & Natural Gas prices crashed. Advancement in the drilling technique that enables extracting oil and natural gas from shale rock.

# Research Question & Approach

- **Question:** How do environmental regulations and natural gas prices affect coal power plant retirement decisions?
- **Counterfactual:** What would retirements have looked like if
  - ① Absent the Mercury and Air Toxics Standards (MATS)
  - ② Natural gas prices did not drop
- **Approach**
  - A Dispatch Model for estimating the coal generating units' variable profit from operating
  - A Single Agent Exit & Abatement Technology Investment Model to compare the impact of fuel prices versus the regulation MATS (work in progress, no results for this part)

# Literature

- ① Coal Power Plant Operation & Retirement
  - **Linn and McCormack (2019)**
  - Schiavo and Mendelsohn (2019)
  - Fell and Kaffine (2018)
  - Abito, Knittel, Metaxoglou, and Trindade (2018)
- ② Dynamic Model
  - Rust (1987)
  - Muehlenbachs (2015)

## Decision Making with Bellman Equation

For each unit  $i$  in year  $t$ , if it has not installed the required abatement technology, it can choose  $a_t$  among three options: **Exit**, **Stay** and **Install**. The value for choosing each option:

$$V(\mathbf{S}_t) = \max_{a_t} \begin{cases} \Phi & +\varepsilon_{0t} & \text{Exit} \\ \mathit{var}\pi_t & +\varepsilon_{1t} & +\beta\mathbb{E}[V(\mathbf{S}_{t+1})|\mathbf{S}_t, a_t] & \text{Stay} \end{cases}$$

Where

- $\Phi$  is the scrap value for exit.
- $\mathit{var}\pi_t$  is the variable profit from annual operation
- $\theta_I$ : installation cost  $\theta_I$  for installing the technology in year  $t$
- $\varepsilon_{at}$ : unobserved shocks associated with each choice  $a$  at time  $t$ , i.i.d. Extreme Value Type I Distribution
- $\beta = 0.9$ : discount factor generally assumed
- $\mathbf{S}_t$ : states that summarise the sufficient information for forming expectation  $\mathbb{E}[V(\mathbf{S}_{t+1})|\mathbf{S}_t, a_t]$

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# Estimation Approach

$$V(S_t) = \max_{a_t} \begin{cases} \Phi & +\varepsilon_{0t} & \text{Exit} \\ \mathit{var}\pi_t & +\varepsilon_{1t} & +\beta\mathbb{E}[V(S_{t+1})|S_t, a_t] & \text{Stay} \\ \mathit{var}\pi_t + \theta_I & +\varepsilon_{2t} & +\beta\mathbb{E}[V(S_{t+1})|S_t, a_t] & \text{Install} \end{cases}$$

- ① Dispatch model to estimate the annual variable profit ( $\mathit{var}\pi_t$ ) for each unit
  - Estimate the marginal costs for each EGU and predict their annual supply
  - Calculate  $\mathit{var}\pi_t$  based on the supply prediction
  - Estimate  $\mathit{var}\pi_t$  as a function of some of the state variables (heat rate, capacity, demand and fuel costs ratio)
- ② Single Agent Backward Induction for the structural parameters: scrap value ( $\Phi$ ) and installation costs ( $\theta_I$ ) (work in progress)

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## Variable Profit Prediction

$$\text{var}\pi_{it} = f(D_t, \text{Cap}_i, \text{HR}_i) + \text{Cost}_{st}\beta + \varepsilon_{it}$$

Table: Variable Profit Prediction

CoalCost			-4.7e+05*** (8548.490)			-4.8e+05*** (8596.830)	
NGCost			8279.017* (4113.551)			9010.786* (4113.900)	
Coal/NG ratio				-1.3e+08*** (2.9e+06)			-1.3e+08*** (2.9e+06)
Demand	Y	Y	Y	Y	Y	Y	Y
Capacity		Y	Y	Y	Y	Y	Y
Heat Rate					Y	Y	Y
Observations	13,588	13,588	13,588	13,558	13,588	13,588	13,558
adj.R-squared	0.0154	0.542	0.6373	0.6097	0.5443	0.6392	0.6115

## Next Steps

$$V(S_t) = \max_{a_t} \begin{cases} \Phi & +\varepsilon_{0t} & \text{Exit} \\ \text{var}\pi_t & +\varepsilon_{1t} & +\beta\mathbb{E}[V(S_{t+1})|S_t, a_t] & \text{Stay} \\ \text{var}\pi_t + \theta_I & +\varepsilon_{2t} & +\beta\mathbb{E}[V(S_{t+1})|S_t, a_t] & \text{Install} \end{cases}$$

- Estimate the scrap value and abatement technology installation costs in the dynamic model
- Counterfactual to compare the impact of fuel costs versus MATS

# Thank You

Thank you for your time and suggestions.